

**AMENDMENT TO THE AMENDMENT IN THE  
NATURE OF A SUBSTITUTE TO H.R. 556  
OFFERED BY MR. PRICE OF GEORGIA**

Page 11, after line 18, insert the following new subparagraph:

1           “(C) PRESIDENTIAL ACTION REQUIRED IN  
2           CERTAIN CASES.—In the case of any covered  
3           transaction in which any party to the trans-  
4           action is—

5                   “(i) a person of a country the govern-  
6                   ment of which the Secretary of State has  
7                   determined, for purposes of section 6(j) of  
8                   the Export Administration Act of 1979 (as  
9                   continued in effect pursuant to the Inter-  
10                  national Emergency Economic Powers  
11                  Act), section 40 of the Arms Export Con-  
12                  trol Act, section 620A of the Foreign As-  
13                  sistance Act of 1961, or other provision of  
14                  law, is a government that has repeatedly  
15                  provided support for acts of international  
16                  terrorism;

17                   “(ii) a government described in clause  
18                  (i); or

1. The first part of the paper is devoted to the study of the properties of the function  $f(x)$  defined by the equation
 
$$f(x) = \int_0^x \frac{1}{1+t^2} dt$$
 for  $x \in \mathbb{R}$ . It is shown that  $f(x)$  is an odd function and that it satisfies the inequality
 
$$f(x) \leq \frac{\pi}{4} \quad \text{for } x \geq 0.$$

2. In the second part, we consider the function  $g(x)$  defined by the equation
 
$$g(x) = \int_0^x \frac{1}{1+t^4} dt$$
 for  $x \in \mathbb{R}$ . It is shown that  $g(x)$  is an even function and that it satisfies the inequality
 
$$g(x) \leq \frac{\pi}{4} \quad \text{for } x \geq 0.$$

3. The third part of the paper is devoted to the study of the properties of the function  $h(x)$  defined by the equation
 
$$h(x) = \int_0^x \frac{1}{1+t^6} dt$$
 for  $x \in \mathbb{R}$ . It is shown that  $h(x)$  is an even function and that it satisfies the inequality
 
$$h(x) \leq \frac{\pi}{4} \quad \text{for } x \geq 0.$$

4. In the fourth part, we consider the function  $k(x)$  defined by the equation
 
$$k(x) = \int_0^x \frac{1}{1+t^8} dt$$
 for  $x \in \mathbb{R}$ . It is shown that  $k(x)$  is an even function and that it satisfies the inequality
 
$$k(x) \leq \frac{\pi}{4} \quad \text{for } x \geq 0.$$

5. The fifth part of the paper is devoted to the study of the properties of the function  $l(x)$  defined by the equation
 
$$l(x) = \int_0^x \frac{1}{1+t^{10}} dt$$
 for  $x \in \mathbb{R}$ . It is shown that  $l(x)$  is an even function and that it satisfies the inequality
 
$$l(x) \leq \frac{\pi}{4} \quad \text{for } x \geq 0.$$

6. In the sixth part, we consider the function  $m(x)$  defined by the equation
 
$$m(x) = \int_0^x \frac{1}{1+t^{12}} dt$$
 for  $x \in \mathbb{R}$ . It is shown that  $m(x)$  is an even function and that it satisfies the inequality
 
$$m(x) \leq \frac{\pi}{4} \quad \text{for } x \geq 0.$$

1                   “(iii) person controlled, directly or in-  
2                   directly, by any such government,  
3                   a review or investigation under this subsection  
4                   of such covered transaction shall not be treated  
5                   as final or complete until the results of such re-  
6                   view or investigation are approved and signed  
7                   by the President.”.

